

SEP 22-26

AIM for Scale

AI Weather Training Program



WEATHER PACKAGE

# AI Overview

Souhaib Ben Taieb

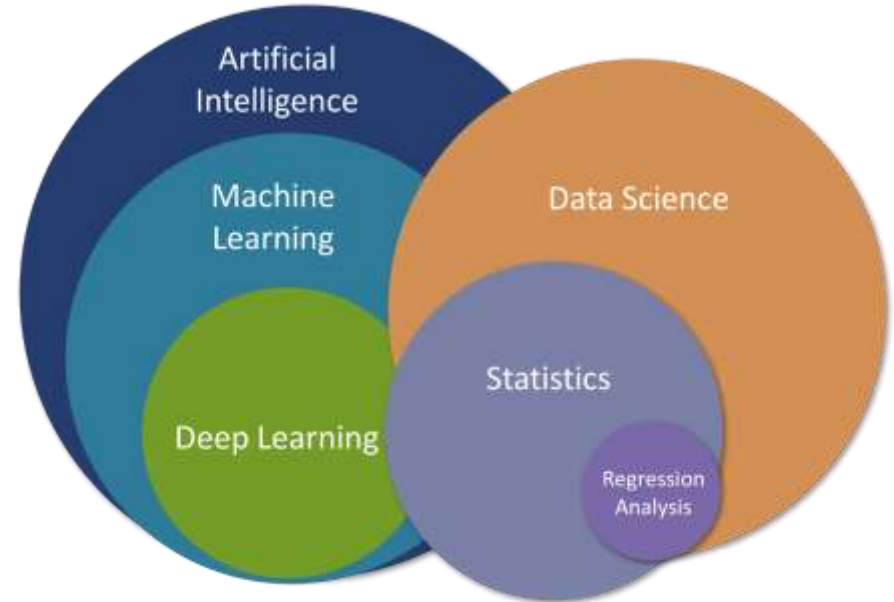
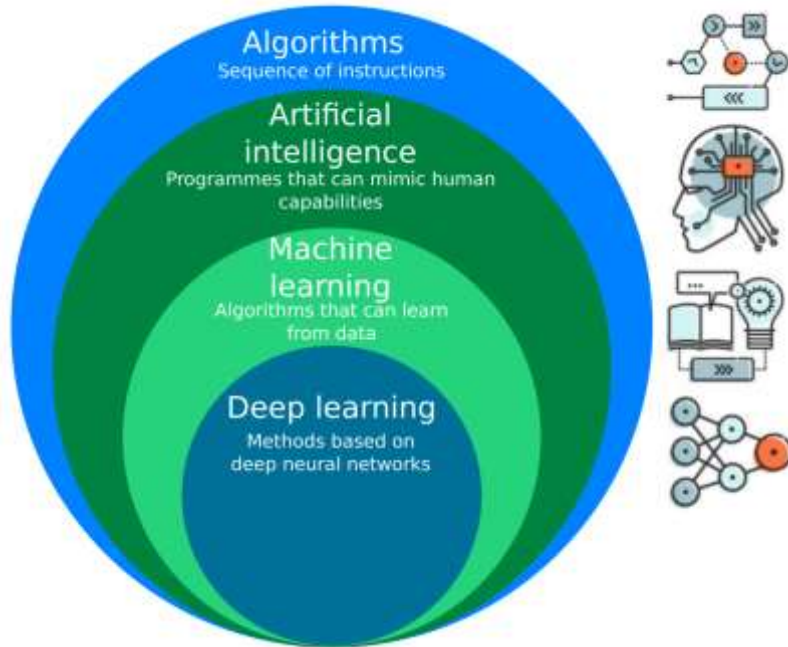
# What is Artificial Intelligence?

***The science of making computers do things that human beings can do***

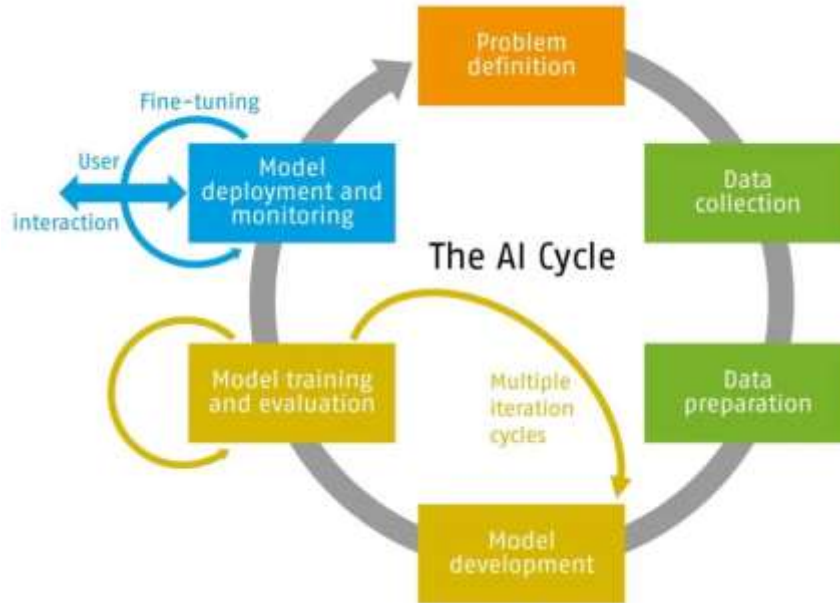
- Cambridge dictionary

| <b>Strong AI</b>                                                     | <b>Weak AI (Current Approach)</b>                                                         |
|----------------------------------------------------------------------|-------------------------------------------------------------------------------------------|
| The machine must reason like a human (same mechanisms of operation). | The machine must arrive at the same solutions as a human (regardless of the method used). |
| <b>Cognitive Approach</b>                                            | <b>Pragmatic Approach</b>                                                                 |

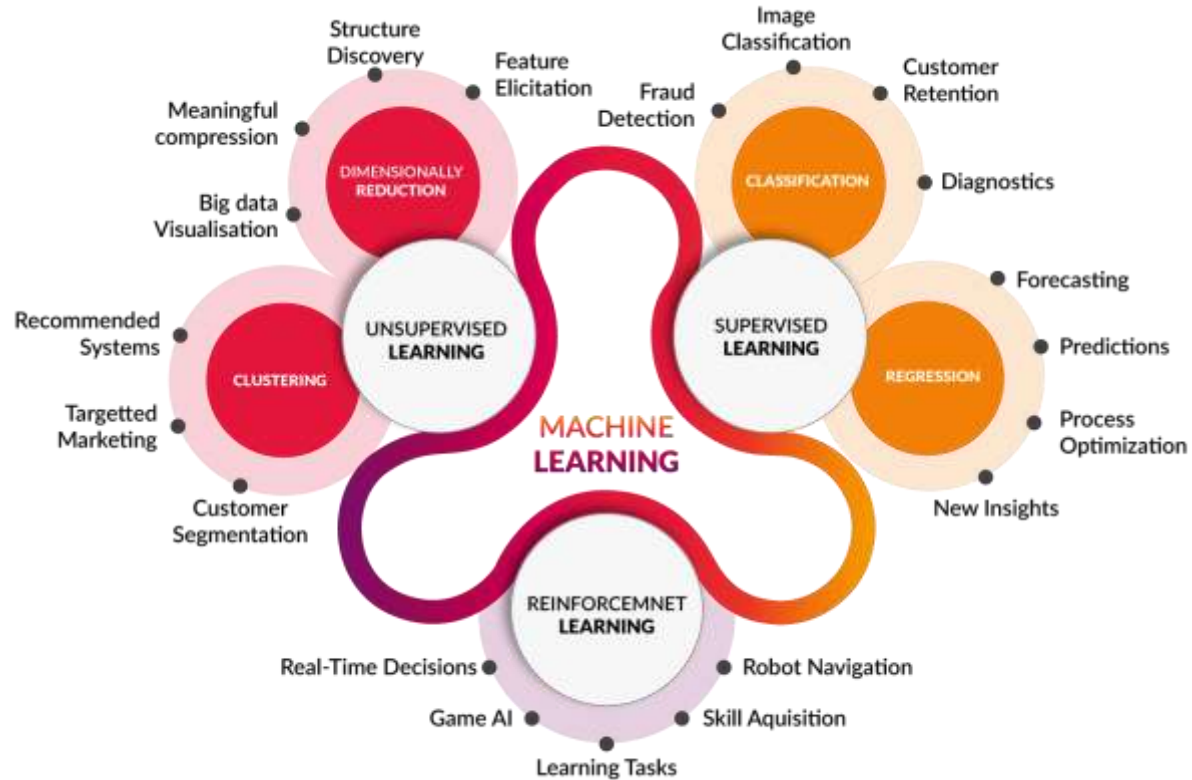
# Related Fields



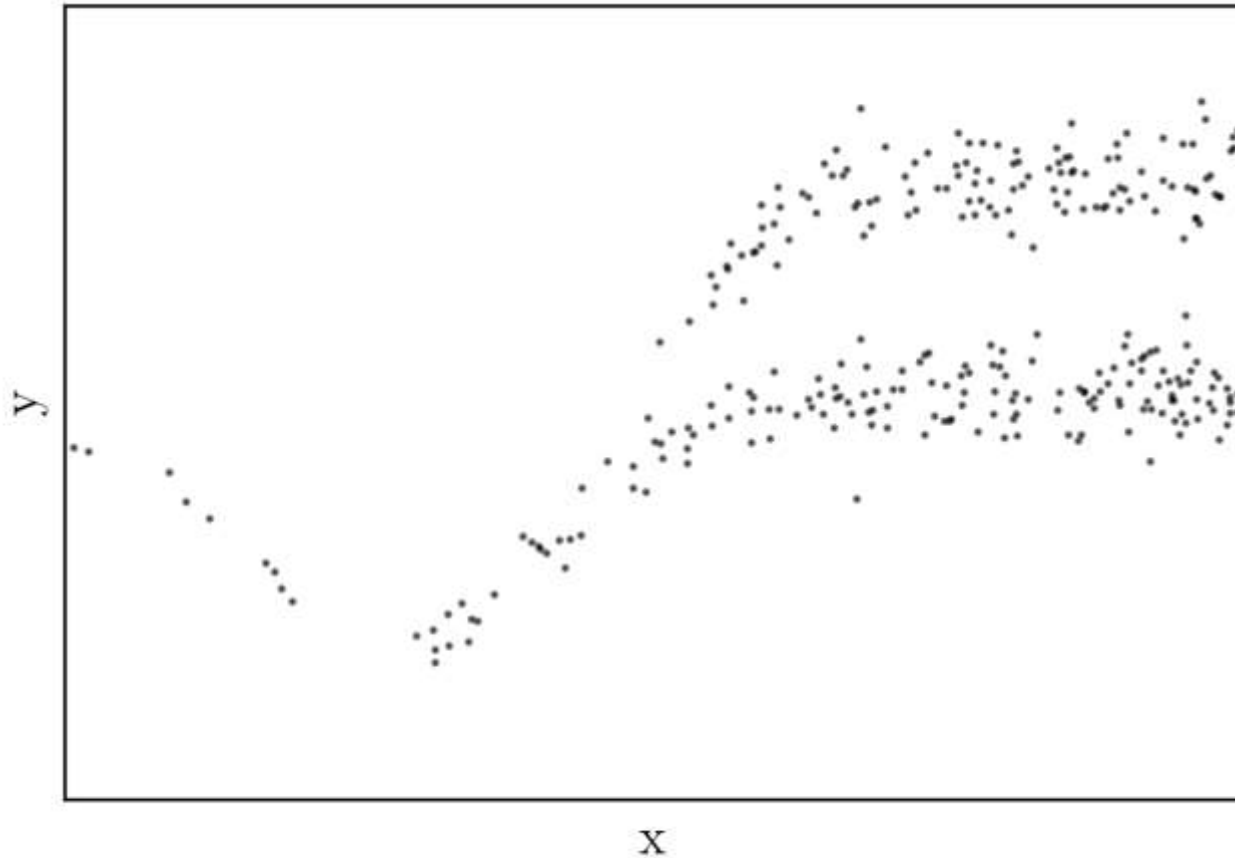
# The AI (and Data Science) Cycle



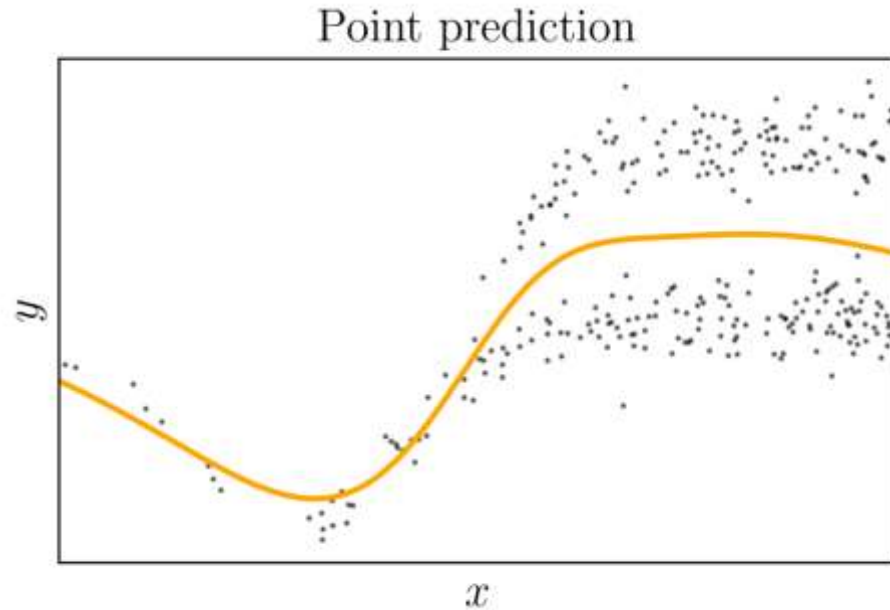
# Learning Paradigms



## Supervised learning - regression

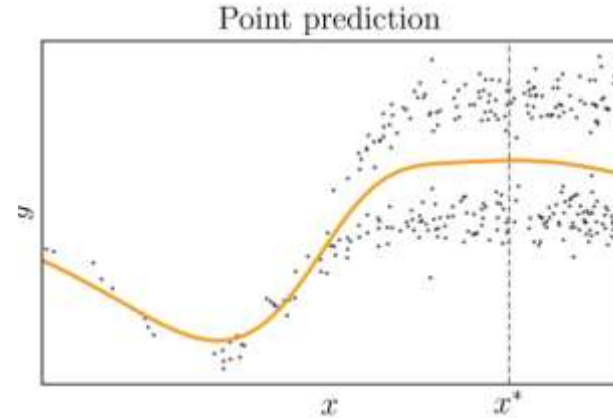
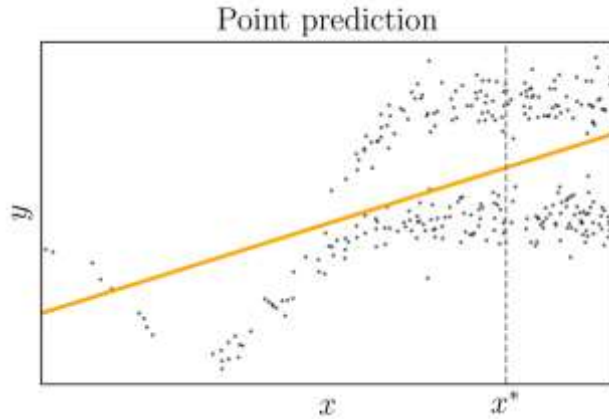


# Deterministic (point) vs probabilistic predictions



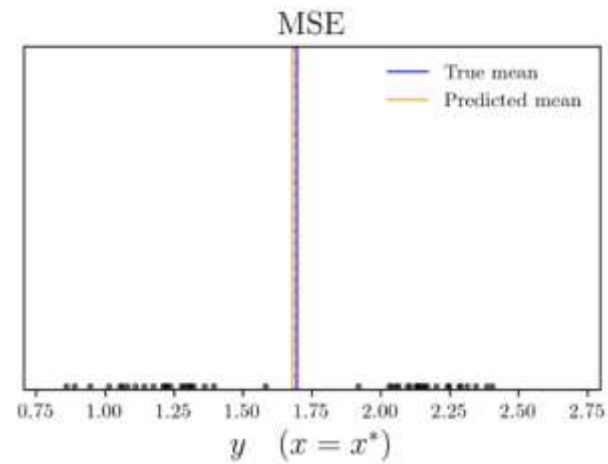
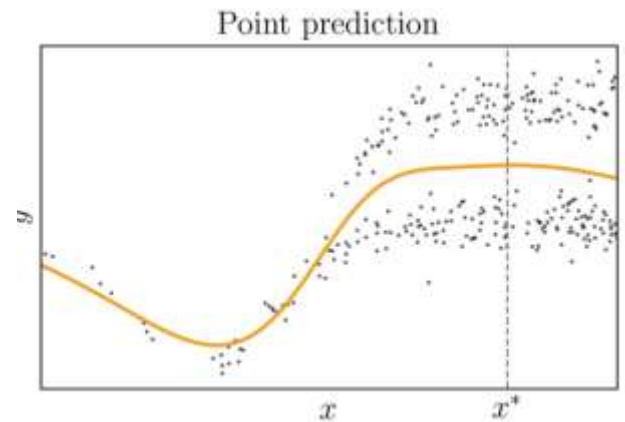
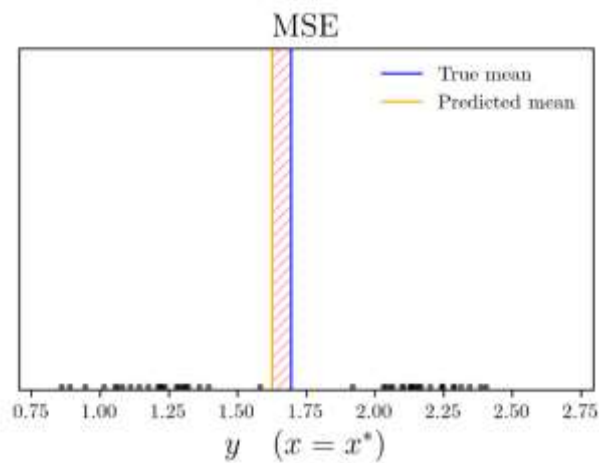
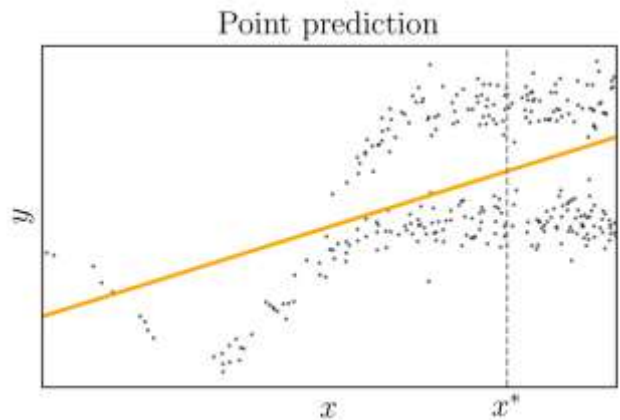
- **Point** predictions: Single scalar, does not quantify uncertainty,

## Deterministic (point) forecasts

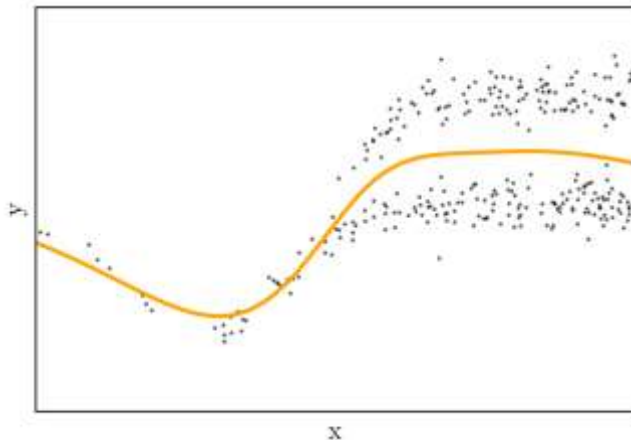


- **Deterministic** (point) predictions: Single scalar, does not quantify uncertainty,
- Which one is better, and why?

## Deterministic (point) forecasts - MSE loss



## MSE loss function



The mean squared error (MSE) compares a scalar-valued prediction  $\hat{y}(x)$  with the true outcome  $Y$  given  $X = x$ :

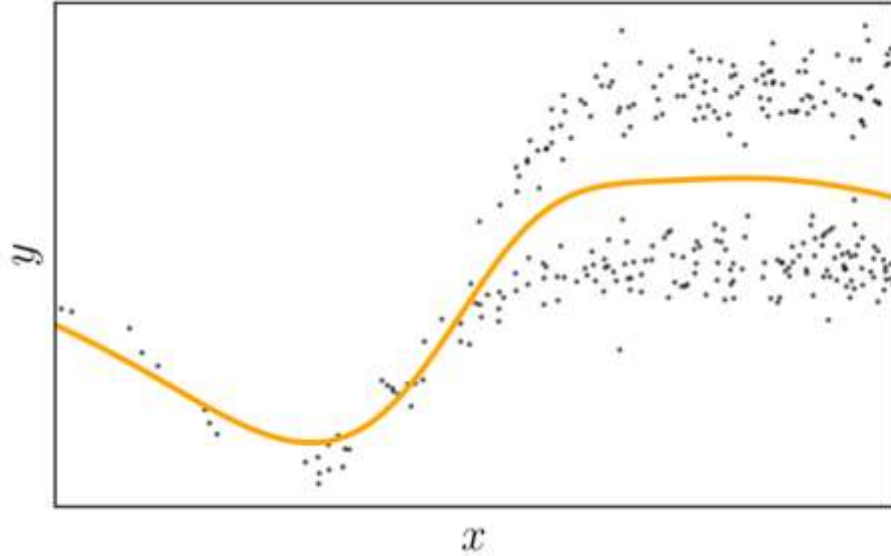
$$\text{MSE} = \mathbb{E} \left[ (Y - \hat{y}(X))^2 \right].$$

Minimizing the MSE leads to

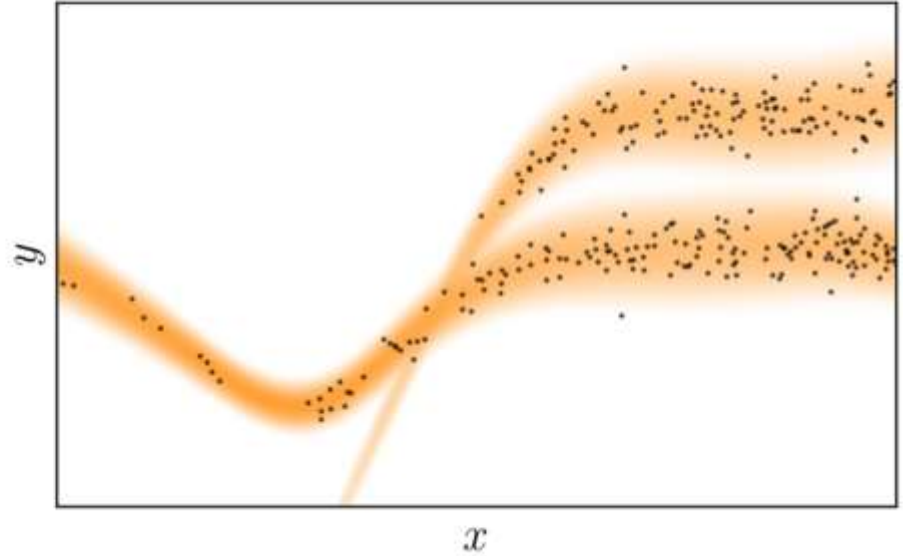
$$\hat{y}(x) \rightarrow \mathbb{E}[Y \mid X = x].$$

# Deterministic (point) vs probabilistic forecasts

Point prediction

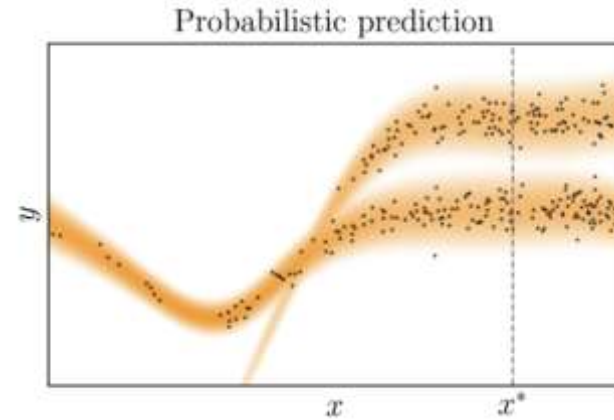
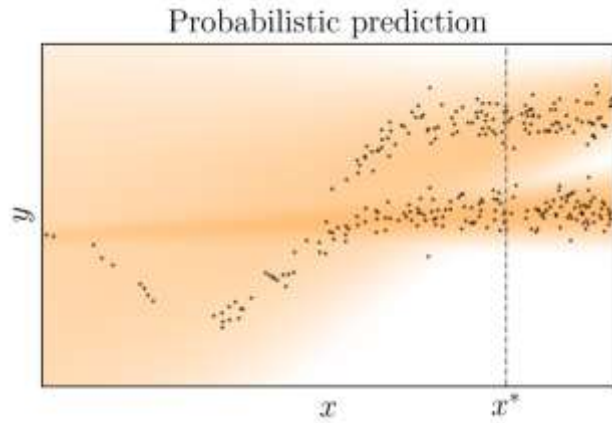


Probabilistic prediction



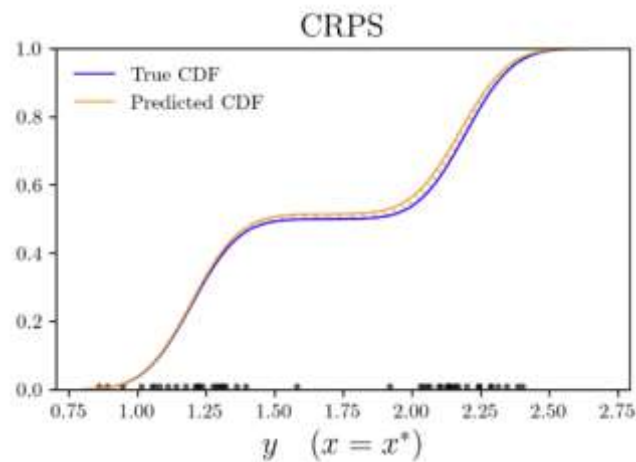
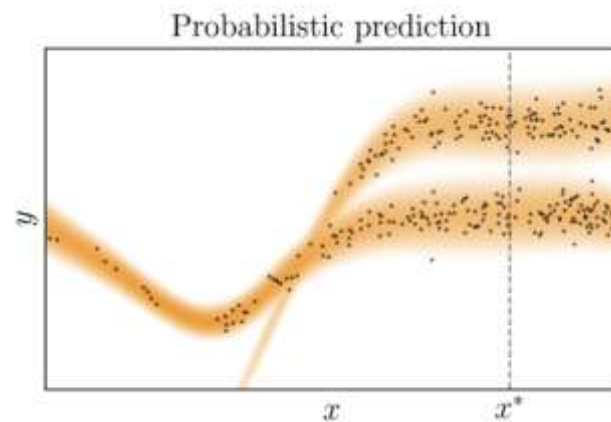
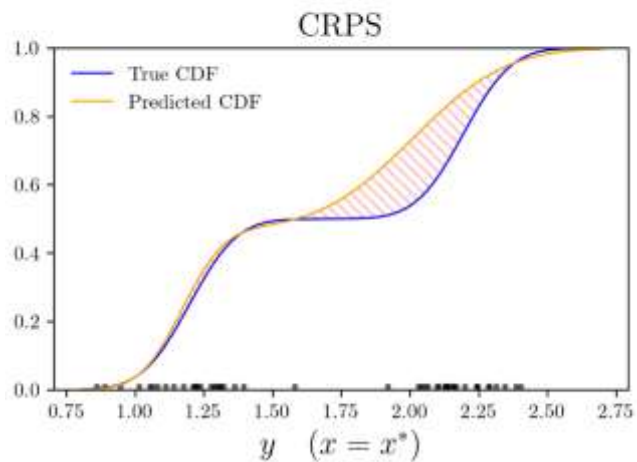
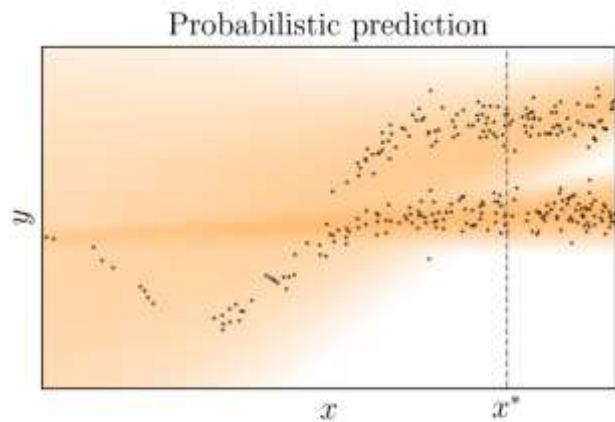
- Point predictions: Single scalar, does not quantify uncertainty,
- **Probabilistic** predictions: Probabilistic quantity, quantifies uncertainty.

## Probabilistic forecasts

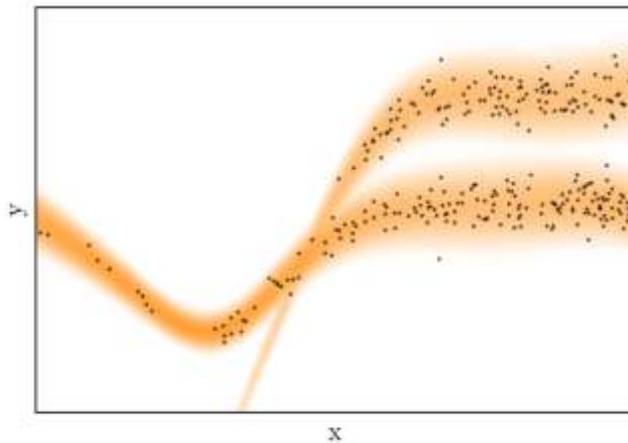


Which one is better, and why?

## Probabilistic forecasts - CRPS loss



## Loss functions: CRPS



The continuous ranked probability score (CRPS) compares a predicted CDF  $\hat{F}(\cdot | x)$  with the true outcome  $Y$  given  $X = x$ :

$$\text{CRPS}(\hat{F}(\cdot | x), Y) = \int_{-\infty}^{\infty} \left( \hat{F}(z | x) - \mathbf{1}\{Y \leq z\} \right)^2 dz.$$

Minimizing the CRPS leads to

$$\hat{F}(\cdot | x) \rightarrow \mathbb{P}(Y \leq \cdot | X = x).$$

## Loss functions: CRPS vs fCRPS vs afCRPS

The CRPS for an ensemble forecast  $\{z_j\}_{j=1}^M$  is given by

$$\text{CRPS}(\{z_j\}_{j=1}^M, y) = \frac{1}{M} \sum_{j=1}^M |z_j - y| - \frac{1}{2M^2} \sum_{j=1}^M \sum_{k=1}^M |z_j - z_k|.$$

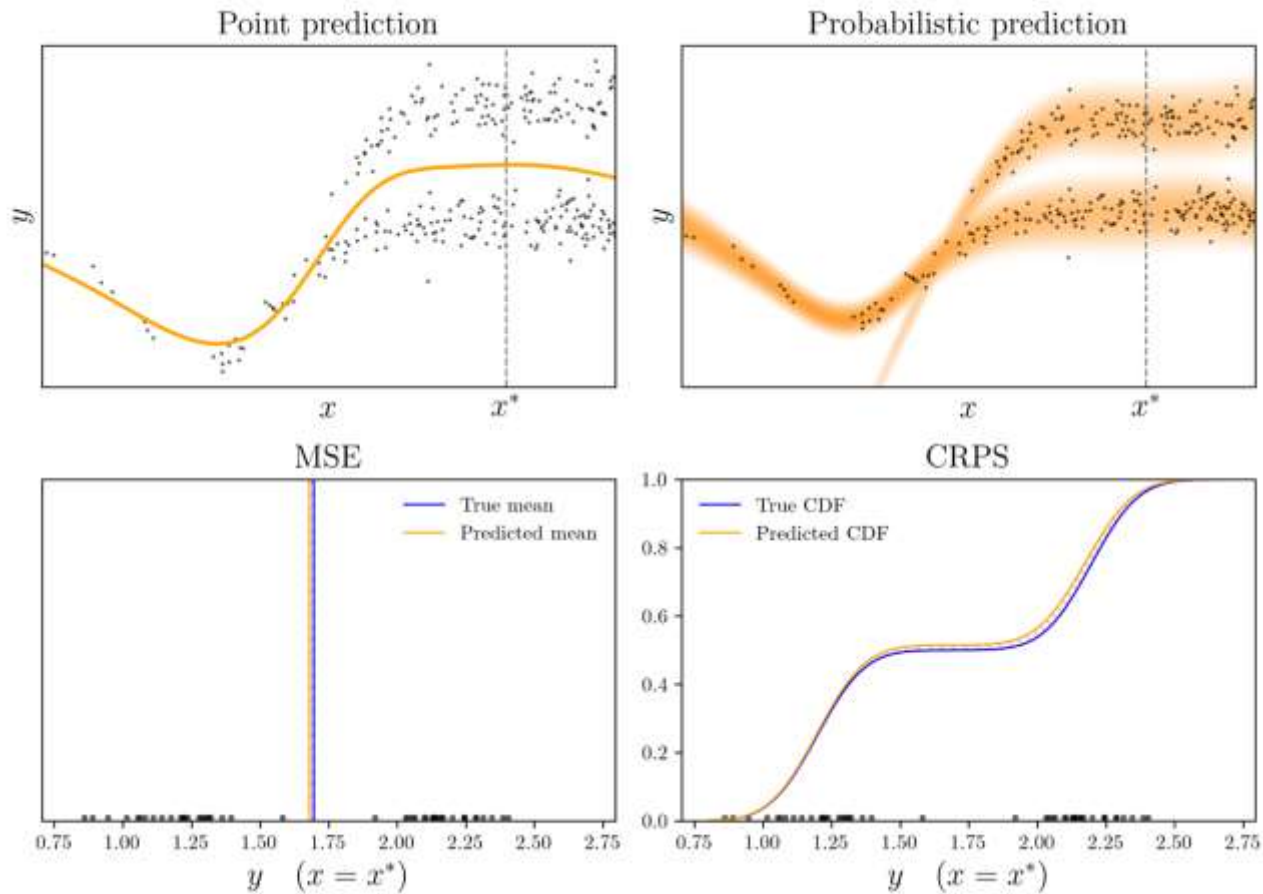
The *fair* CRPS (fCRPS) adjusts for ensemble size:

$$\text{fCRPS}(\{z_j\}_{j=1}^M, y) = \frac{1}{M} \sum_{j=1}^M |z_j - y| - \frac{1}{2M(M-1)} \sum_{j=1}^M \sum_{k=1}^M |z_j - z_k|.$$

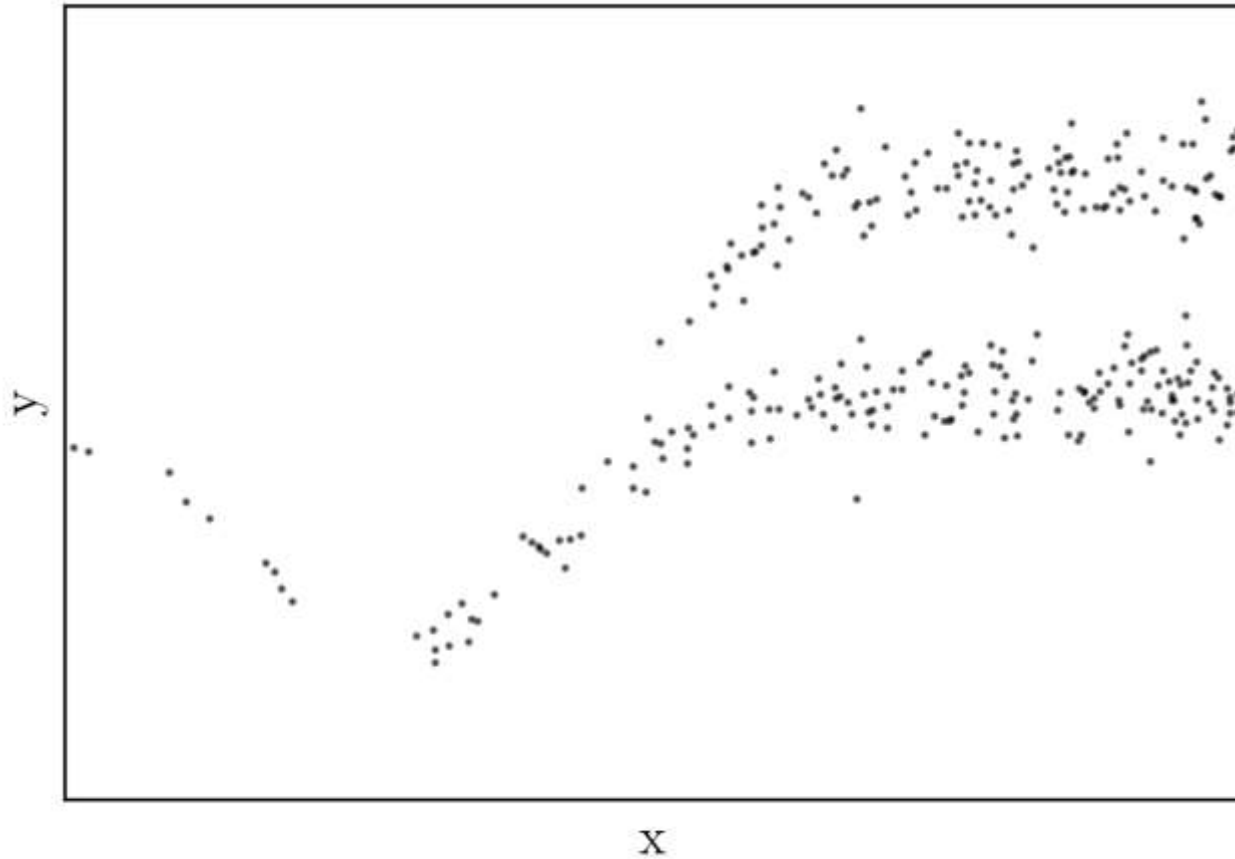
The *almost fair* CRPS (afCRPS) blends fCRPS and CRPS, fixing a degeneracy in case all members  $z_j$  apart from one are equal to  $y$ :

$$\text{afCRPS}_\alpha = \alpha \text{fCRPS} + (1 - \alpha) \text{CRPS}, \quad \alpha \in (0, 1].$$

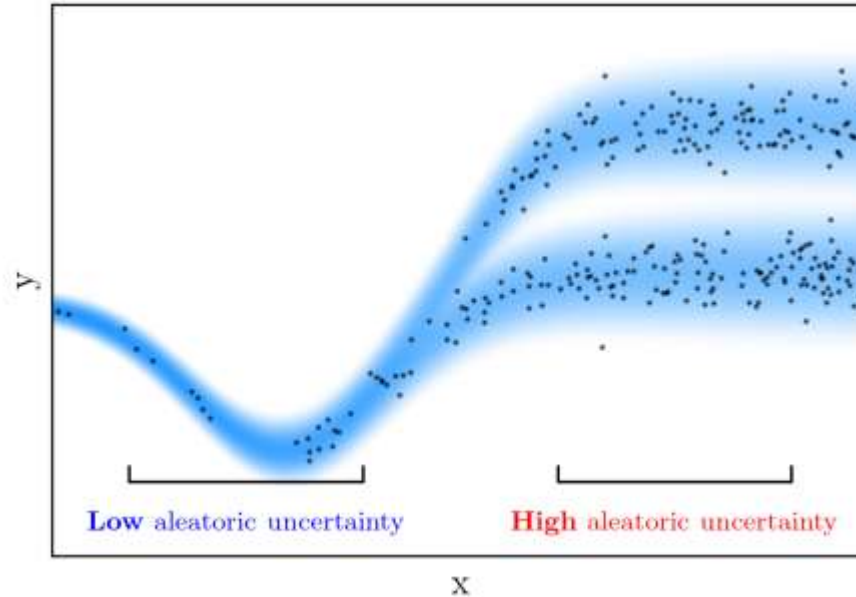
## Loss functions: MSE vs CRPS



## Sources of uncertainty?

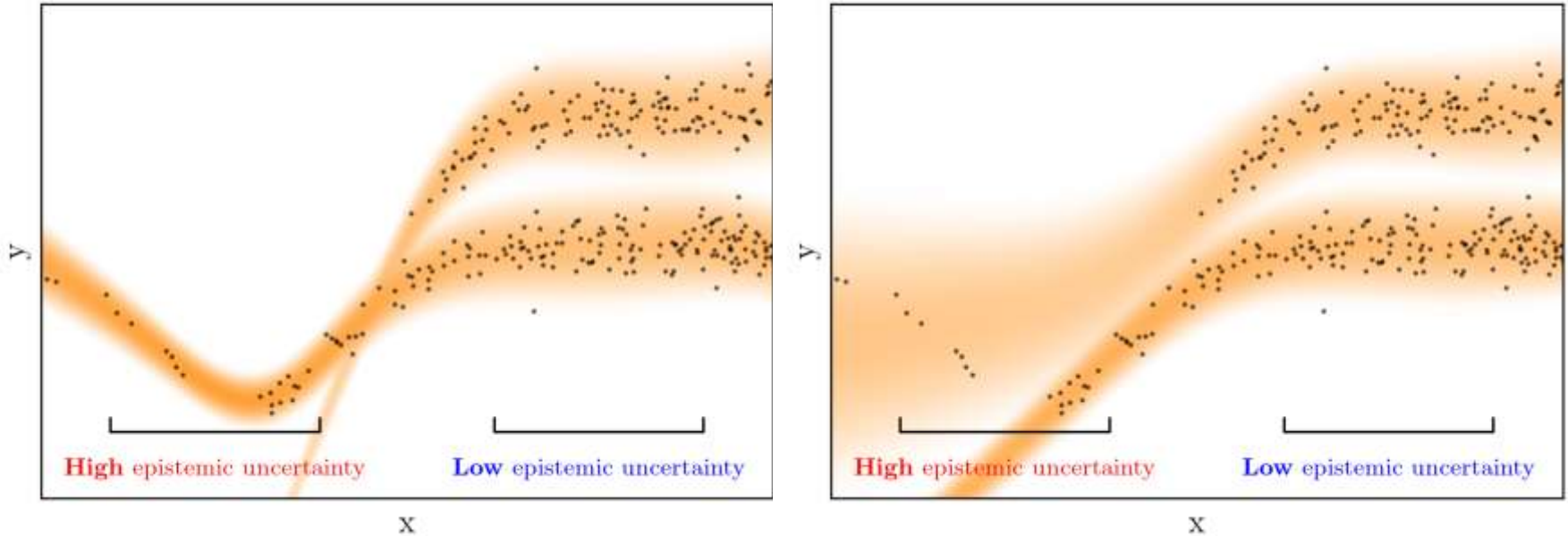


# Sources of uncertainty



- **Aleatoric:** Irreducible, inherent to the data,

# Sources of uncertainty

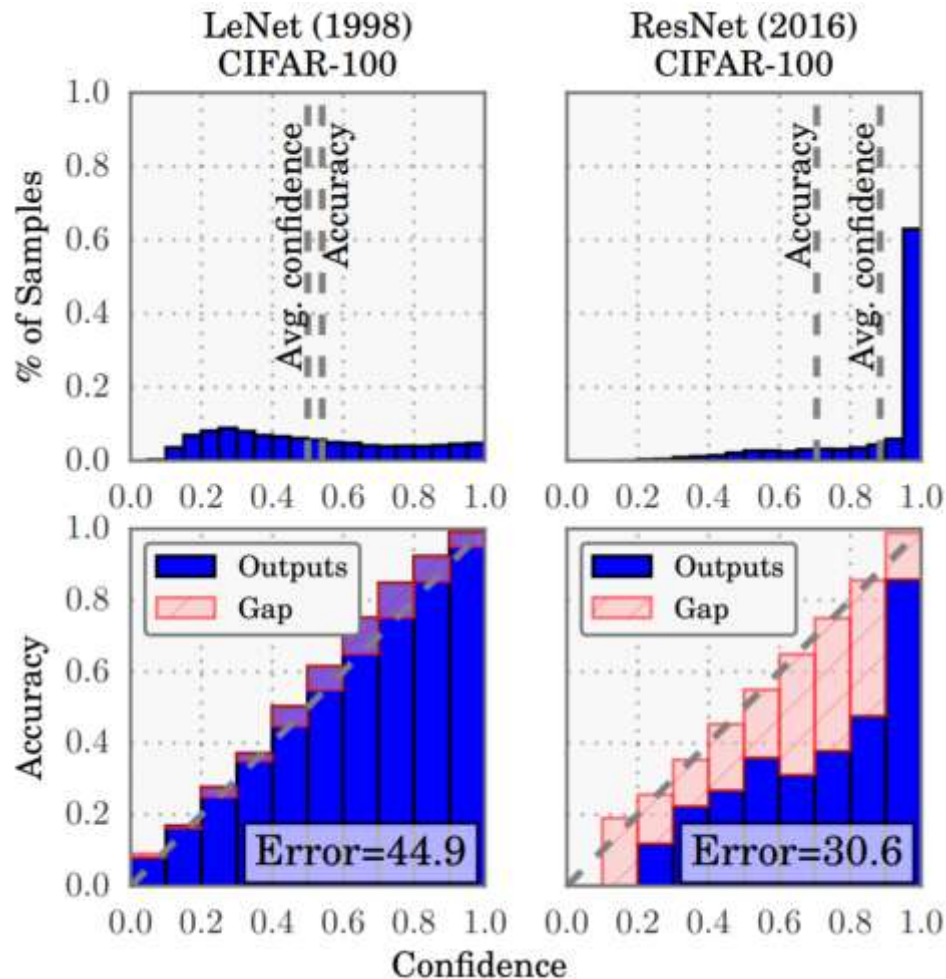


- **Aleatoric:** Irreducible, inherent to the data,
- **Epistemic:** All remaining uncertainty that arises in predictive modelling (lack of data, incorrect assumptions...).

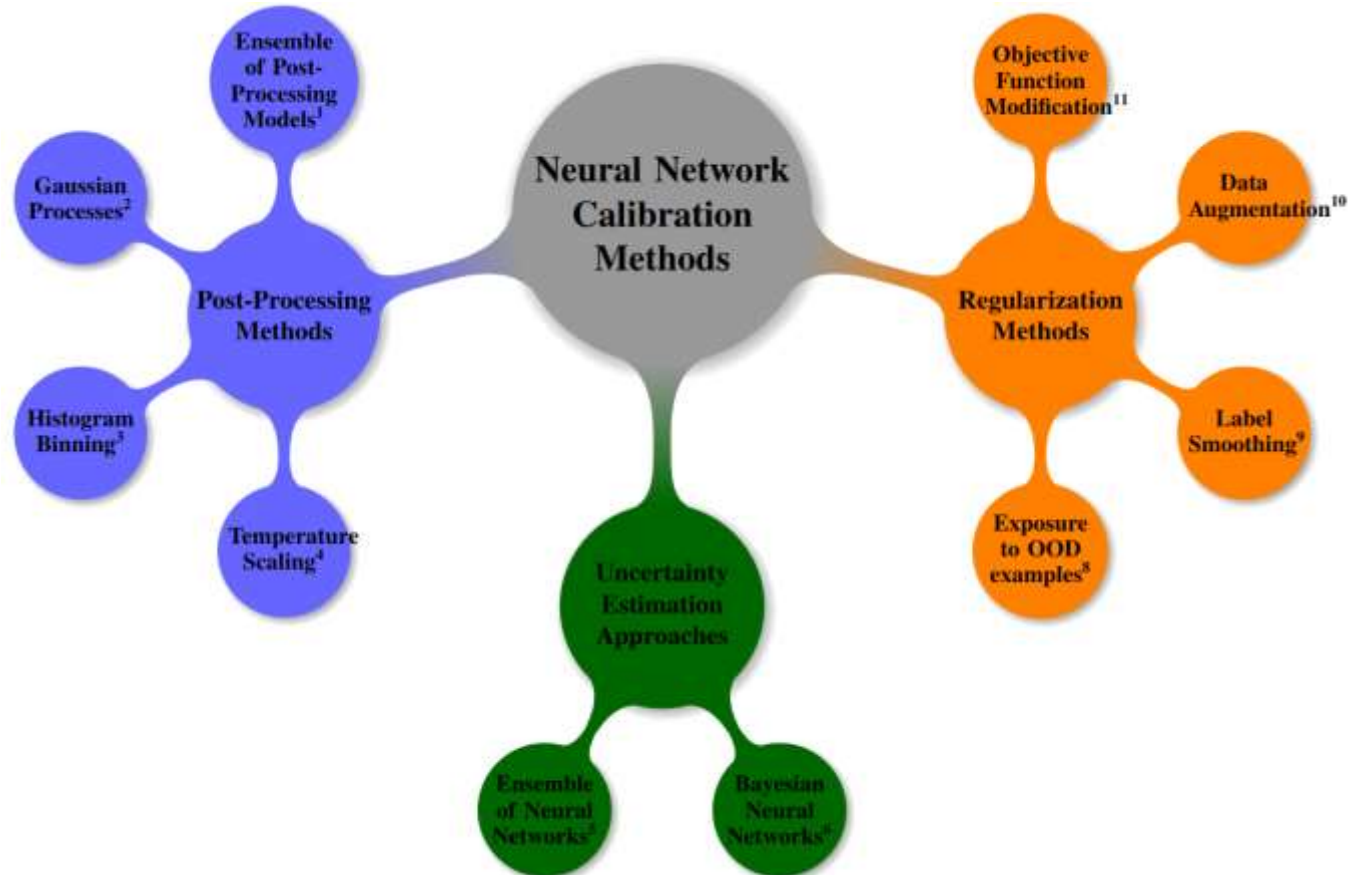
## Probabilistic calibration

Neural network classifiers tend to be **overconfident**:

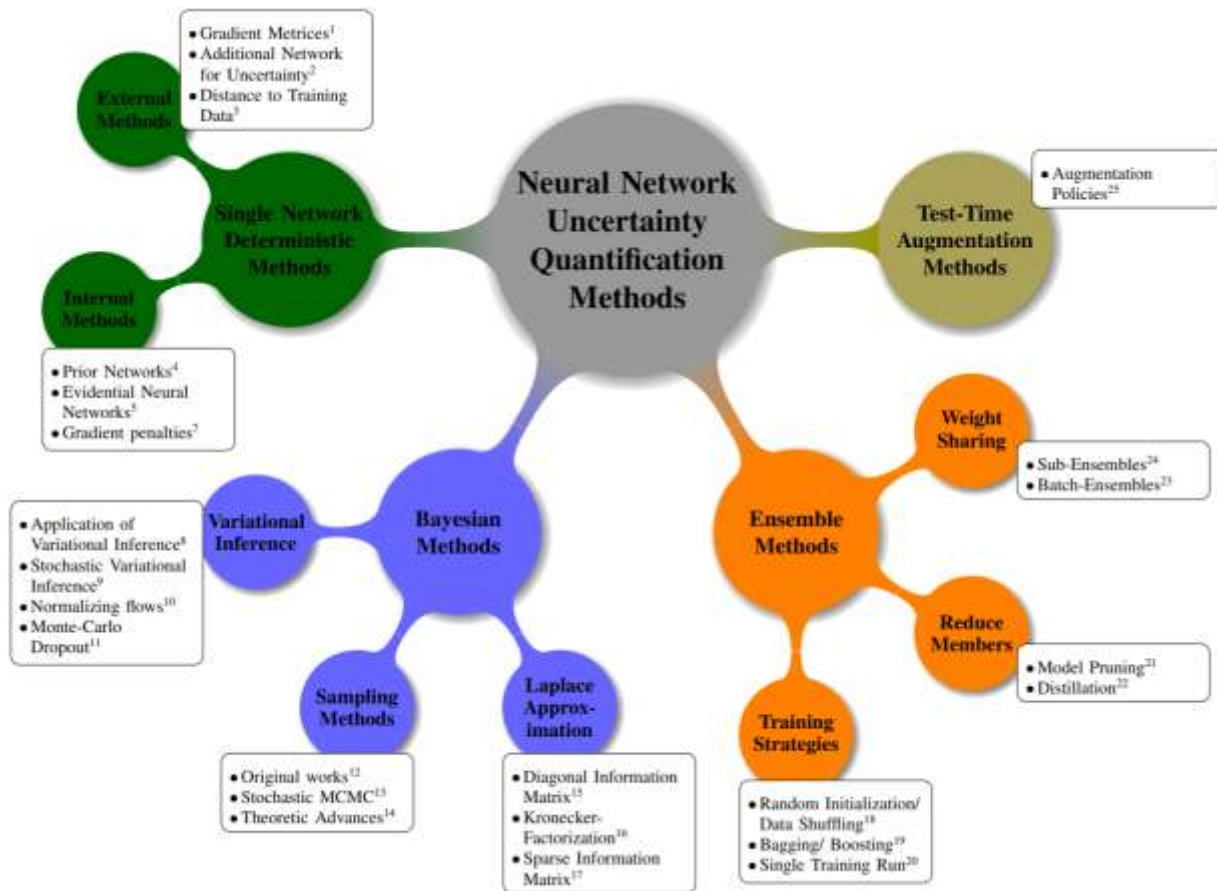
*Predicted probabilities are larger than observed frequencies.*



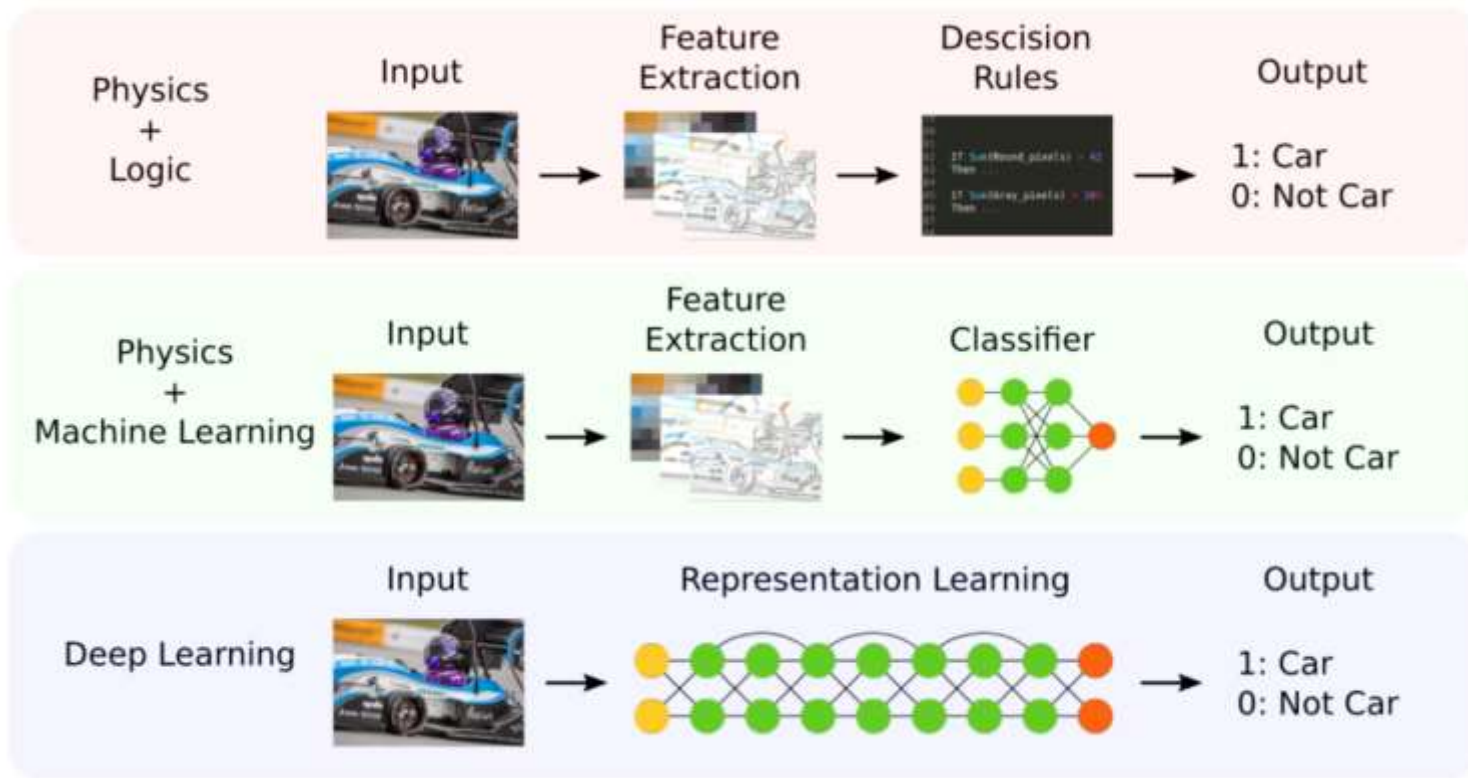
# Neural Network Calibration Methods



# Uncertainty Quantification Methods



# Deep Learning

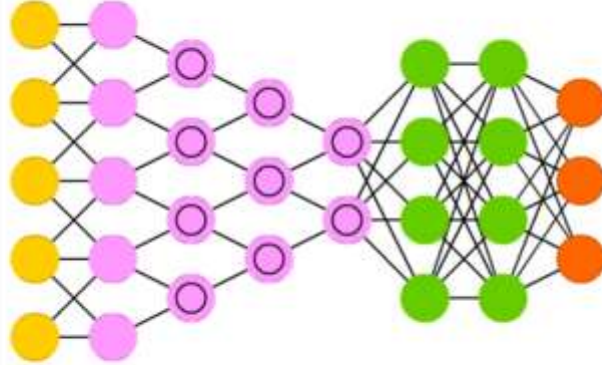


# Neural Network architectures

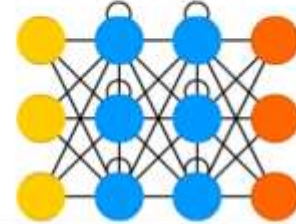
Deep Feed Forward (DFF)



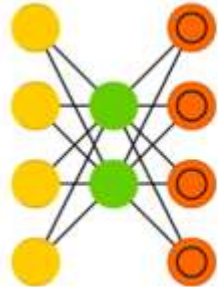
Deep Convolutional Network (DCN)



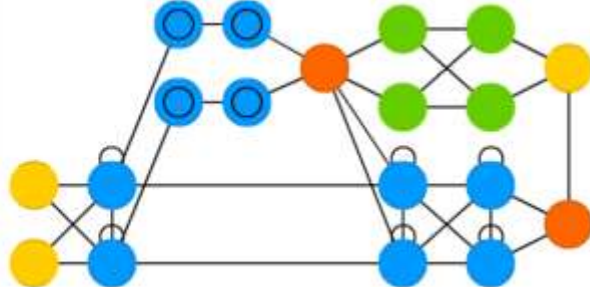
Recurrent Neural Network (RNN)



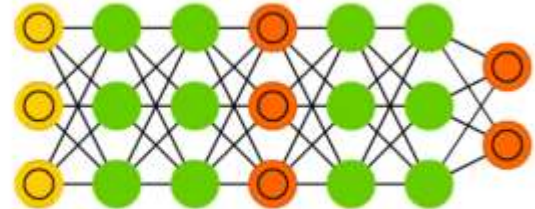
Auto Encoder (AE)



Attention Network (AN)

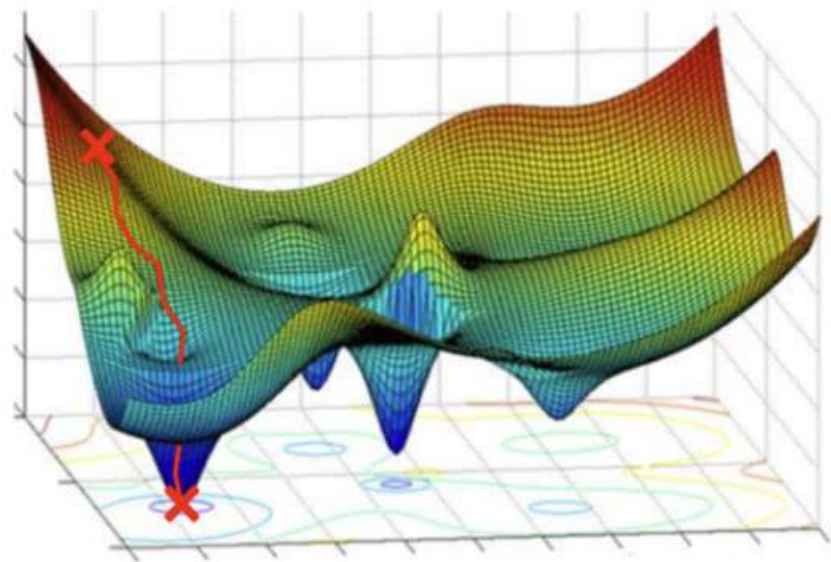


Generative Adversarial Network (GAN)

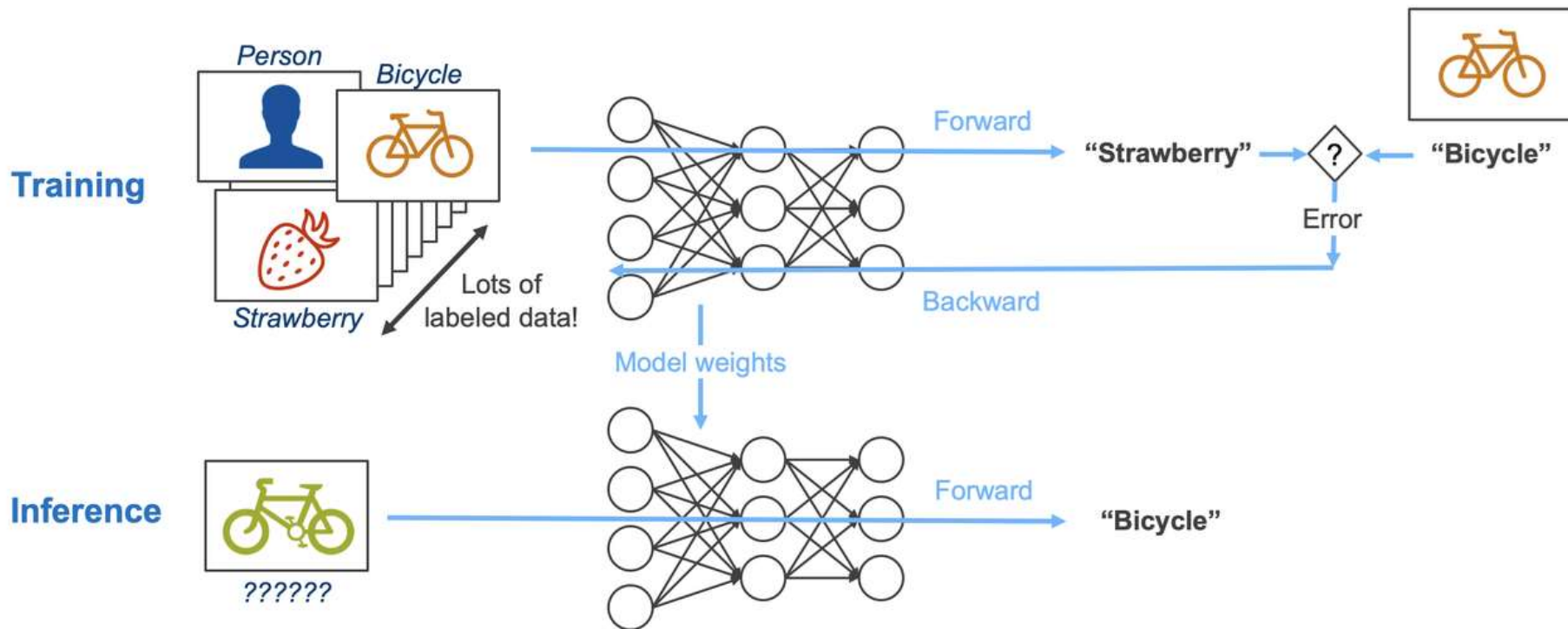


How do we train neural AI models (compute weights)?

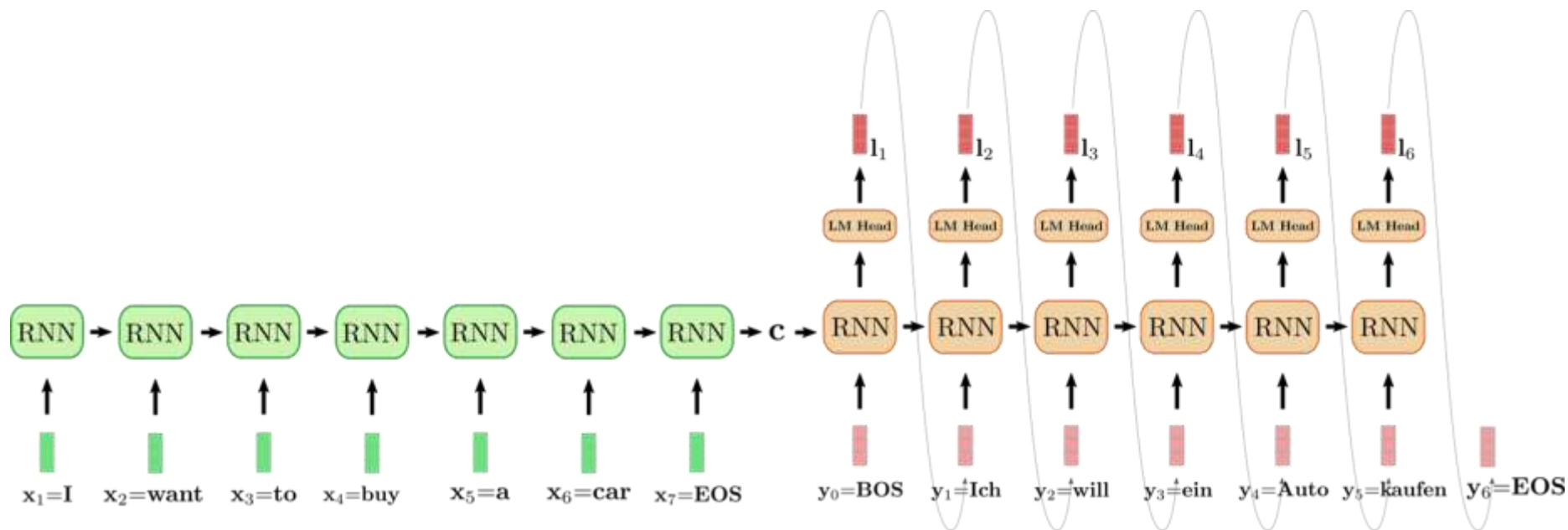
$$J(\theta) = \frac{1}{n} \sum_{i=1}^n \text{CRPS}(F_{\theta}(\cdot | x_i), y_i).$$



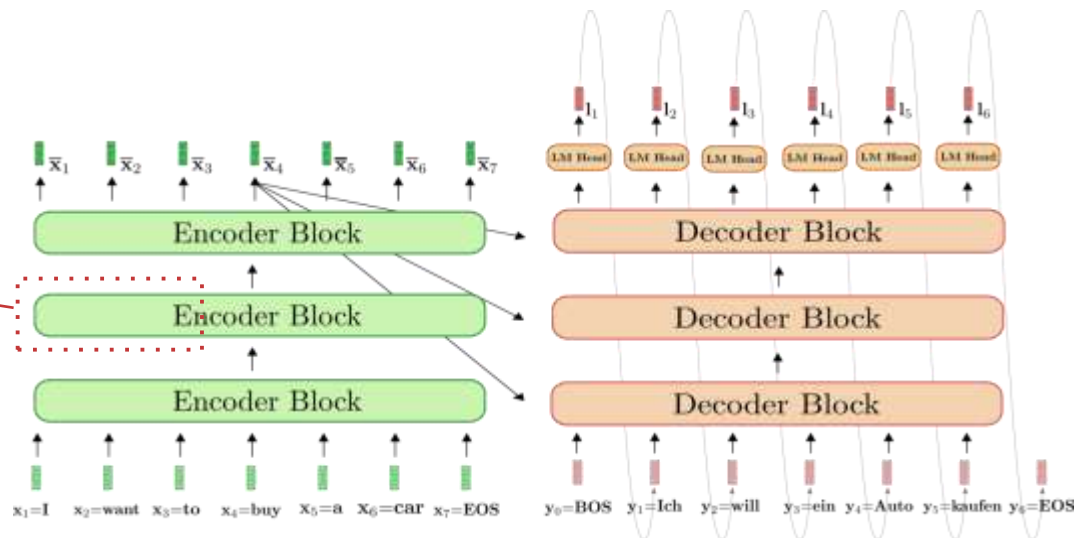
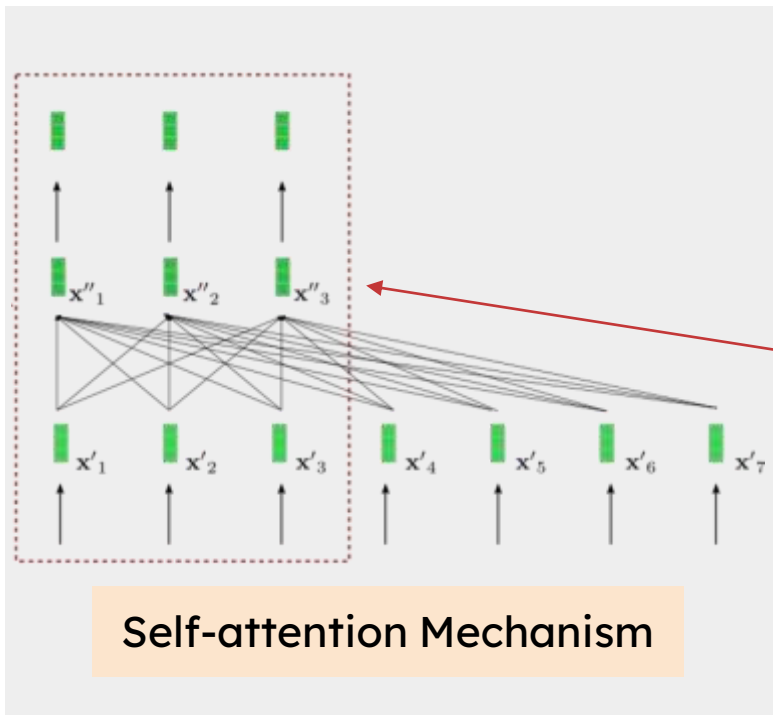
# Training vs inference



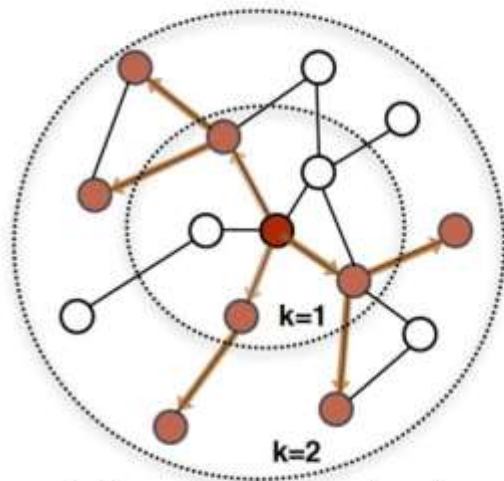
# Autoregressive Encoder Decoder Models



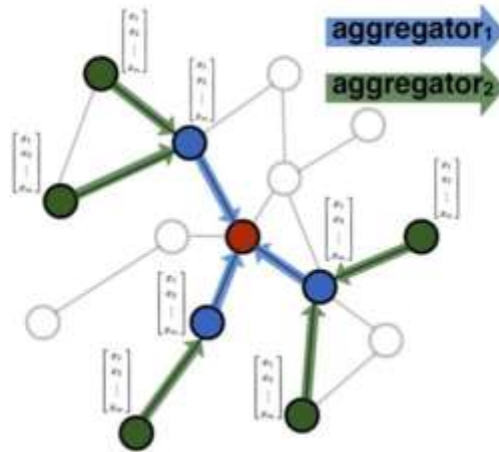
# Transformers



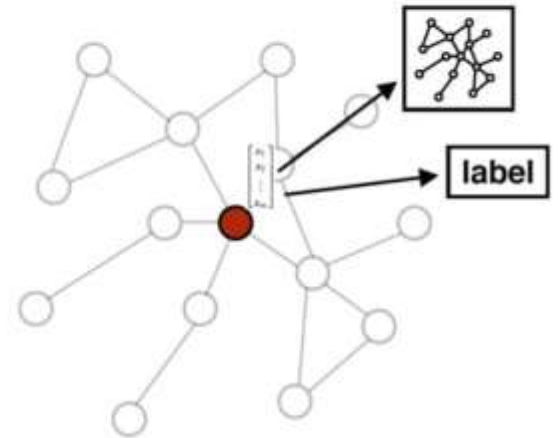
# Graph Neural Networks



1. Sample neighborhood

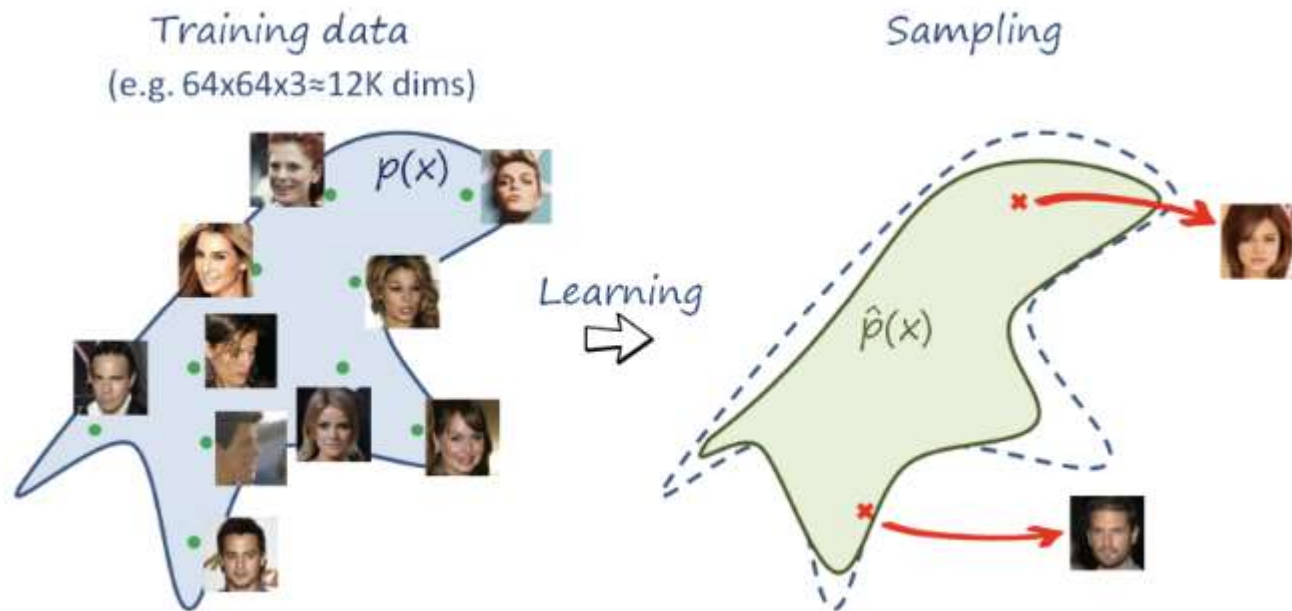


2. Aggregate feature information from neighbors

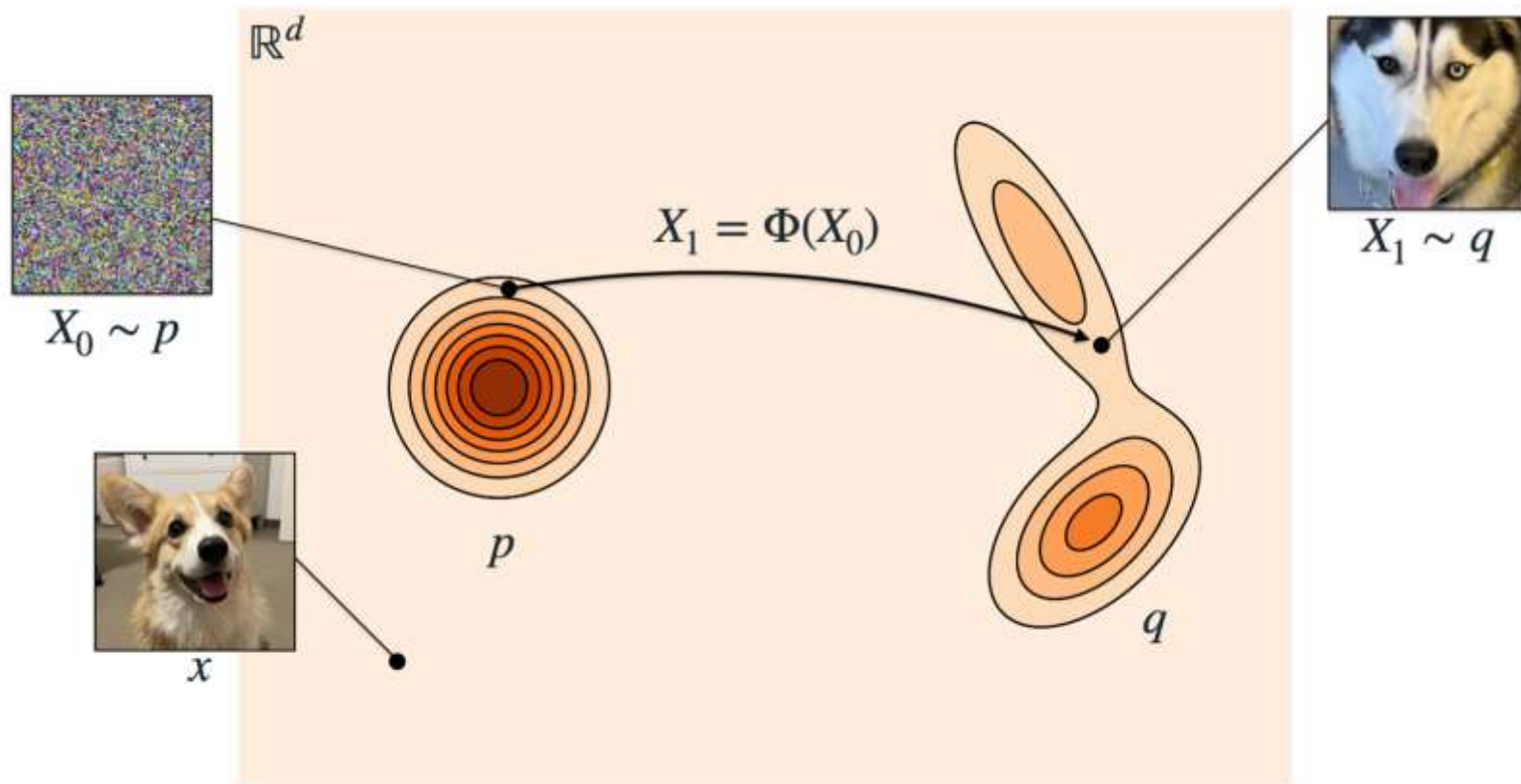


3. Predict graph context and label using aggregated information

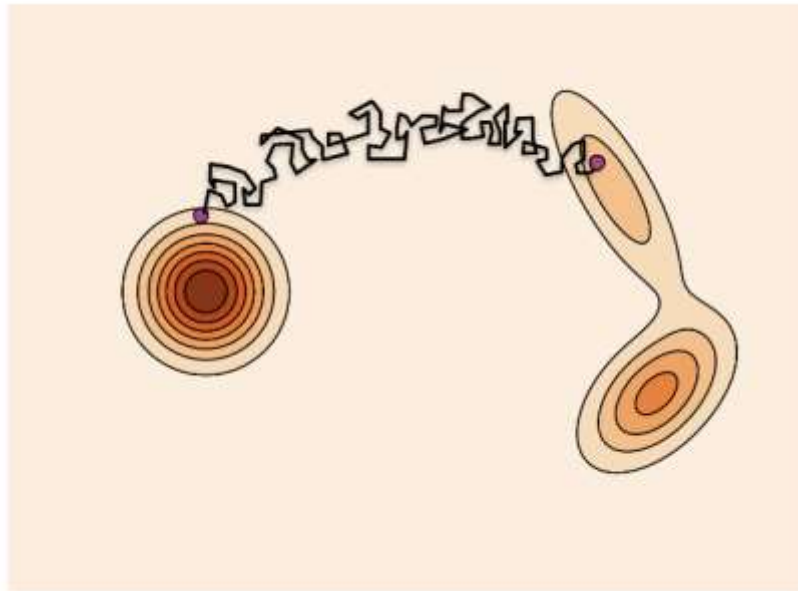
# Generative Models



# Generative Models



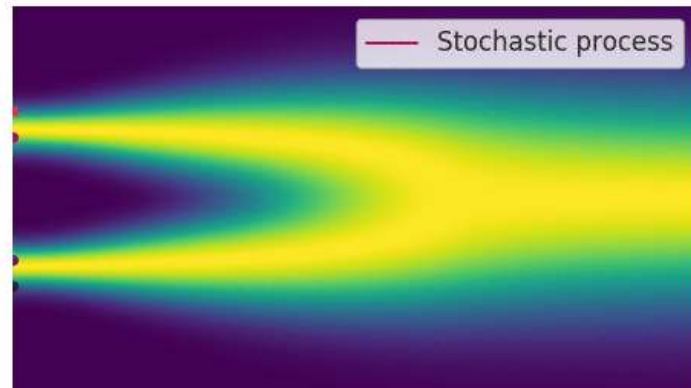
# Diffusion models



# Diffusion Models

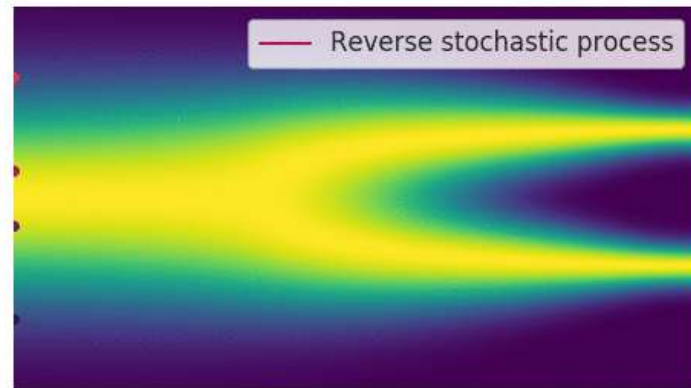
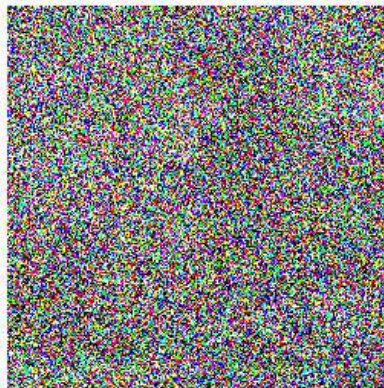
## Forward Process (Fixed):

Destroy the data by gradually adding small amounts of Gaussian noise.

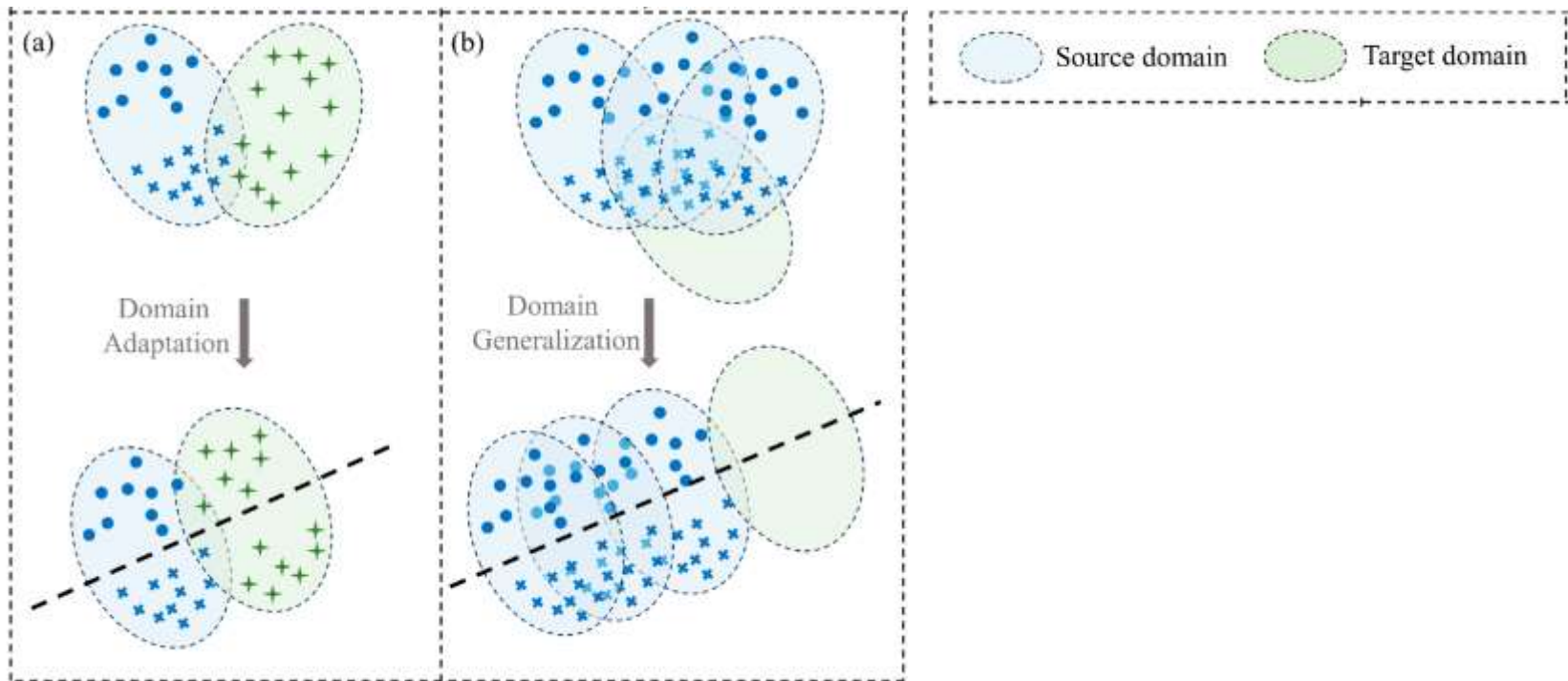


## Reverse Process (Generative):

“Create” data by gradually denoising a noisy code from a stationary distribution.



# Domain Adaptation and Generalization



# Challenges

- **Data Quality & Availability:**
  - Sparse or biased data; missing measurements; historical records may be inconsistent
- **Generalization & Robustness:**
  - Models may overfit to past conditions; struggle with rare/extreme events (heatwaves, floods)
  - Complexity: Multi-scale spatial & temporal processes.
- **Uncertainty & Reliability:**
  - Difficult to quantify confidence in predictions; risk of overconfidence or underestimation
- **Physical consistency:**
  - Predictions may not adhere to the laws of physics.
- **Interpretability & Trust:**
  - “Black-box” predictions are hard to explain; decision-makers need transparency
- **Computational Demands:**
  - Training deep learning models requires significant computational resources